

Online appendix
Leadership by Conditional Commitments

Appendix A

The purpose of this appendix is to demonstrate that positively increasing costs of contributing does not necessarily destroy the coordination equilibria obtained with a linear cost function. We modify the profit function by introducing quadratic costs, keeping benefits linear:

$$z_k = z_k(c_i) + \sum_j^n c_j \quad (A1)$$

The marginal cost of own contribution is now $2c_i$. Again the followers' return function shifts up at the point at which it triggers the leader's conditional contribution, denoted c_i^* . For a coordination game to exist, the follower's private benefit of providing c_i^* must be larger than or equal to the cost:

$$F(c_i^* + b) \geq c_i^* \quad (A2)$$

which simplifies to:

$$b \geq \frac{F}{F} (c_i^*) - c_i^* \quad (A3)$$

In addition, the leader must profit from inducing the followers to contribute c^* . When the leader contributes b and each follower contributes c^* , substituting into equation A1 provides the profit function of the leader:

$$z_L = z_L(b + (n-1)c^*) \quad (A4)$$

Substituting A3 into A4, assuming that the leader will not contribute more than what it takes to satisfy A3, and simplifying, the leader's profit can be expressed as a function of c^* :

$$z_L = z_L \left(\frac{F}{F} (c^*) + \frac{2}{F} (c^*) + \left(\frac{L}{F} - 1 \right) (c^*) + L(n-2)(c^*) \right) \quad (A5)$$

The function in A5 may or may not attain positive values, depending on the size of b . To maximize the profit function when it is positive, we take the first derivative wrt c^* and set it equal to zero:¹

¹The second order condition is $\frac{d^2 z_L}{dc^*} = 2 - \frac{6c}{F} - \frac{6(c)^2}{F^2} - \frac{2}{F} + \frac{L}{F} < 0$. Given that $(L > F) = f(40;40);(64;32)$ the second order condition holds if $6c < F - \frac{6(c)^2}{F^2} - \frac{2}{F}$ for T4 and T6 (in which $F = L$), and if $6c < F - \frac{6(c)^2}{F^2} - \frac{2}{F}$ for T5 and T7 (in which $2F = L$). Thus the second order condition holds for T4 and T6 if $\frac{6c}{c^*} < \frac{F}{c^*} - \frac{6(c^*)^2}{F^2} - \frac{2}{F}$, and for T5 and T7 if $6c < (F - c) - \frac{6(c^*)^2}{F^2}$.

$L(c^*)$

Table B2: *WRS tests of differences in average follower contribution by endowment (number of groups)*

Returns:		Endowment:	Binding	<i>p</i> -value
Even	Uneven			
T6 (8)	T7 (12)	Uneven	Y	.031
T4 (12)	T5 (8)	Even	Y	.440
T9 (10)	T10 (10)	Uneven	N	.821
T3 (10)	T8 (8)	Even	N	.002

Table B3: *WRS tests of differences in average follower contribution by returns (number of groups)*

First, by comparing treatments vertically in Figure 1 in the main text (T4 vs. T3; T5 vs. T8; T6 vs. T9; T7 vs. T10), we appreciate that the effect of binding promises is positive except when benefits are unevenly distributed. Thus, being able to set forth binding promises seems to help leaders induce followers to contribute, but only if the proceeds from the public account are distributed evenly. Wilcoxon rank-sum (WRS) tests confirm this finding.³ The results in Table

	Coefficient	<i>SdE</i>	<i>p</i> -value
Period	-1.04	.16	.000
Binding promise	7.91	3.80	.037
Large endowment	20.41	3.96	.000
Binding promise Period	.09	.33	.792
Large endowment Period	-.27	.35	.432
Constant	33.49	2.49	.000
R	0.12		
#Subjects	408		
#Observations	4 896		

Table C1: *Random (individual) effects GLS with robust standard errors clustered at the group level. Dependent variable: contributions.*

Are conditional and unconditional contributions substitutes? An interesting question is whether conditional and unconditional contributions are substitutes in generating follower contributions. Table C2 contains a regression that includes these two variables on the right-hand side, together with the two treatment dummies found to be effective in the previous analysis (large endowment, binding promise) and interaction terms between each of the former two variables and each of the latter two variables (i.e., four interaction terms). The results show that both conditional and unconditional contributions by the leader significantly increase follower contributions. Thus, the two types of leader contributions seem to be substitutes.

Does the effectiveness of conditional and unconditional contributions vary across treatments? The only interaction effect found to be significant is the one between unconditional contributions and binding promises. This interaction effect is negative. The lack of other significant interaction coefficients may be due to the presence of multicollinearity.

	Coefficient	<i>SdE</i>	<i>p</i> -value
Binding promise (BP)	11.031	4.491	.014
Large endowment (LE)	9.970	4.202	.021
Unconditional contribution (UC)	.341	.047	.000
Conditional contribution (CC)	.209	.039	.000
BP UC	-.136	.055	.014
LE UC	-.082	.055	.134
BP CC	.019	.046	.682
LE CC	-.032	.043	.451
Constant	5.874	2.811	.037
R	0.18		
#Subjects	312		
#Observations	3 744		

Table C2: *Random (individual) effects GLS with robust standard errors clustered at the group level. Dependent variable: follower contributions.*

Trade-off in target setting In our experiment, the optimal target is a function of the conditional commitment promised, and the optimal relationship between the two variables varies between treatments, as shown in section 3 of the main text. Table 2 in the main text lists

the theoretical equilibrium values for the two variables across the four treatments with binding promises. The mean values observed in the same groups are reported in Table C3. Comparing the two tables reveals that all the observed differences between treatments have the theoretically predicted sign. WRS tests indicate that most of the differences are significant (at the 1% level). For conditional promises, theory predicts *positive* pair wise differences. All except one of these differences are significant (the exception being T6-T7). No difference is predicted between T4 and T5, and indeed the data shows no significant difference. For the targets, three of the six predicted differences are significant (T6-T4, T6-T5, and T7-T5). In sum, the variations across treatments are consistent with theory. However, the results also show that leaders set the targets too high relative to the conditional promises.

Treatment	Mean conditional promise	Mean target
T4	57.7	55.7
T5	61.0	50.9
T6	87.1	70.5
T7	95.1	61.7

Table C3: *Mean conditional promises and mean targets in treatments with binding promises*

We find no evidence of a hump-shaped relationship between Target and followers' contribution. Table C4 regresses follower contributions on the two treatment dummies found effective in the previous analysis (binding promise and large endowment), the leader's unconditional contribution, the leader's conditional contribution, the target set by the leader (the endogenous threshold), and the target squared. We appreciate that followers' contribution is a monotonically increasing function of Target in the interval we observe (Target squared turns out to be insignificant).

	Coefficient	<i>SdE</i>	<i>p</i> -value
Binding promise	7.589	3.215	.018
Large endowment	5.929	3.296	.072
Unconditional contribution	.172	.029	.000
Conditional contribution	.136	.024	.000
Target	.316	.122	.009
Target	-.001	.001	.354
Constant	1.134	2.786	.684
R	.20		
#Subjects	312		
#Observations	3 744		

Table C4: *Random (individual) effects GLS with robust standard errors clustered at the group level. Dependent variable: follower contributions.*

Similarly scatterplots treatment by treatment do not reveal any hump shaped relationship between target and average follower contributions (Figure C1). The lack of a single optimal target may relate to the fact that in our experiment thresholds (i.e. targets) are endogenous.

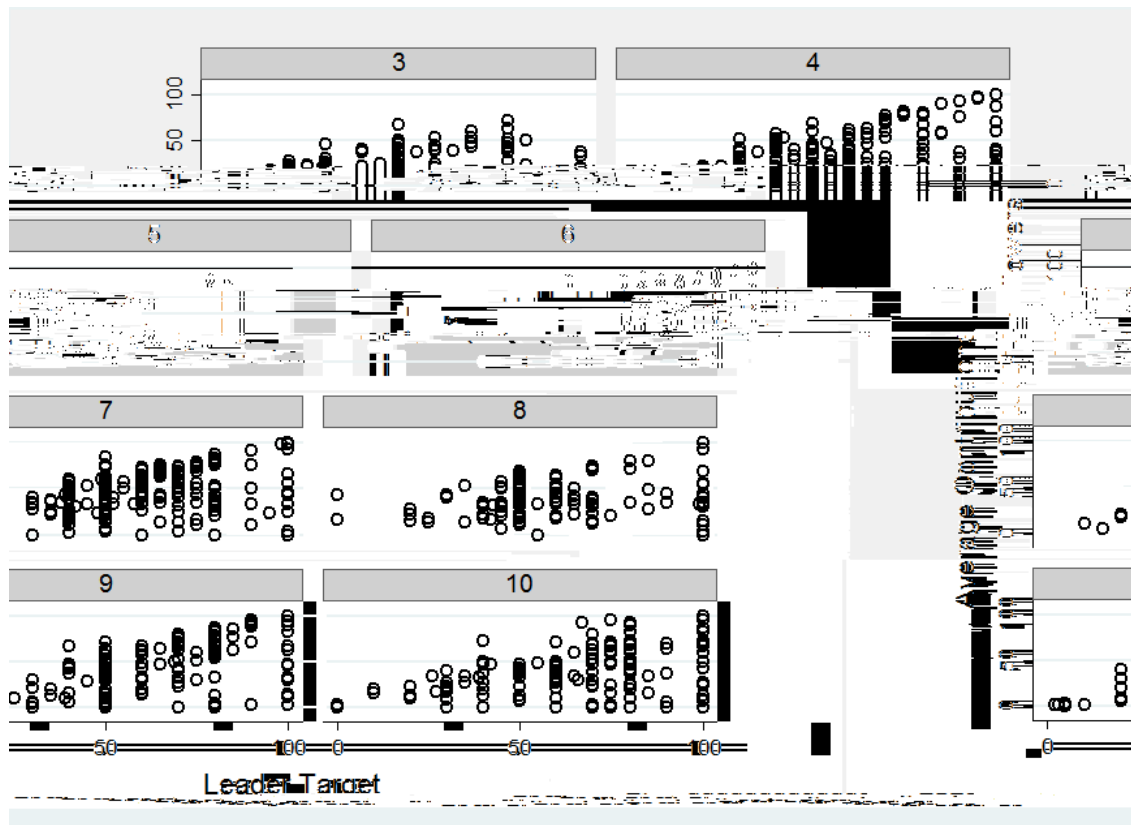


Figure C1: Scatterplot of Average Follower Contributions by Leader Target, treatment by treatment..

Appendix D

Sample instruction; T4, US session

Experimental Instructions

You are going to participate in an experiment financed by [institution x].

You will earn money. How much you earn depends on the decisions you make, as well as on the decisions made by other subjects.

All interactions are anonymous and are performed through a network of computers. The administrators of the experiment will not be able to observe your decisions during the experiment.

40 subjects participate in the experiment. All participants are in this room, have been recruited in the same way as you have, and are now reading the same instructions as you are for the first time. It is important that you do not talk to other participants until the experiment is over.

In the experiment you will earn Experimental Currency Units (ECUs). At the end of the experiment, you will be paid in cash based on your total earnings in ECUs from the experiment. The exchange rate from ECUs to US Dollars (US\$) is:

$$1 \text{ ECU} = 0.015 \text{ US\$}$$

The more ECUs you earn, the more cash (in US\$) you will receive.

Detailed information about the experiment

The experiment consists of 16 separate periods. Groups of 4 participants are formed randomly from the participants present in the lab. You will never know which other participants are in your group. The group composition is secret for every participant.

Once a group has been formed, it remains unchanged for all the 16 periods of the experiment. These 16 periods are divided into 4 sets; thus, each set consists of 4 periods.

In each set, one group member is THE EARLY CONTRIBUTOR, while the other 3 group members are LATE CONTRIBUTORS. Each group member is the early contributor in one of the 4 sets. Which group member is the early contributor in which set is decided by random.

Example:

Member 4 is the early contributor in set 1 (i.e., in periods 1, 2, 3, and 4);

Member 1 is the early contributor in set 2 (i.e., in periods 5, 6, 7, and 8);

Member 3 is the early contributor in set 3 (i.e., in periods 9, 10, 11, and 12);

Member 2 is the early contributor in set 4 (i.e., in periods 13, 14, 15, and 16).

The group member being the early contributor will see this in an "Information Window", which will appear on his/her screen at the beginning of the set.

What you have to do

At the beginning of each period, each participant will receive an endowment of 100 ECUs.
Your task (as well as the task of your fellow group members) is to decide how much of your endowment you will contribute to a PROJECT. Whatever you do not contribute, you

Your final earnings will be calculated as follows:

1. Your earnings in the 16 periods will be added up.
2. The resulting sum will be converted to US\$ and paid to you in cash.

Before the experiment starts, we will run a control questionnaire to verify your understanding of the experiment.

Please remain seated quietly until the experiment starts. If you have any questions, please raise your hand now.

Sample screen shots T4:

contains first and last of a total of 8 control questions; information screen prior to first game; leader and follower decision screens; two common feedback screens.

This screen appears only at the beginning of period 1
Period 1 of 16
Time left (sec): 111

GROUPS, ROLES, AND PERIODS

...the early contributor...
 ...late contributors...
 ...binding...
 ...at least 1/3 of the total contribution...

...late contributor...

...Stage one...
 ...Stage two...

PAYOFFS

...total contribution...

QUESTION SET 1 (same as in previous slide)

Member 1 is the early contributor in period 1 and contributes 20 ECUs at stage 1.

Moreover, member 1 promises to make an additional contribution of 80

